

## Embedded Systems

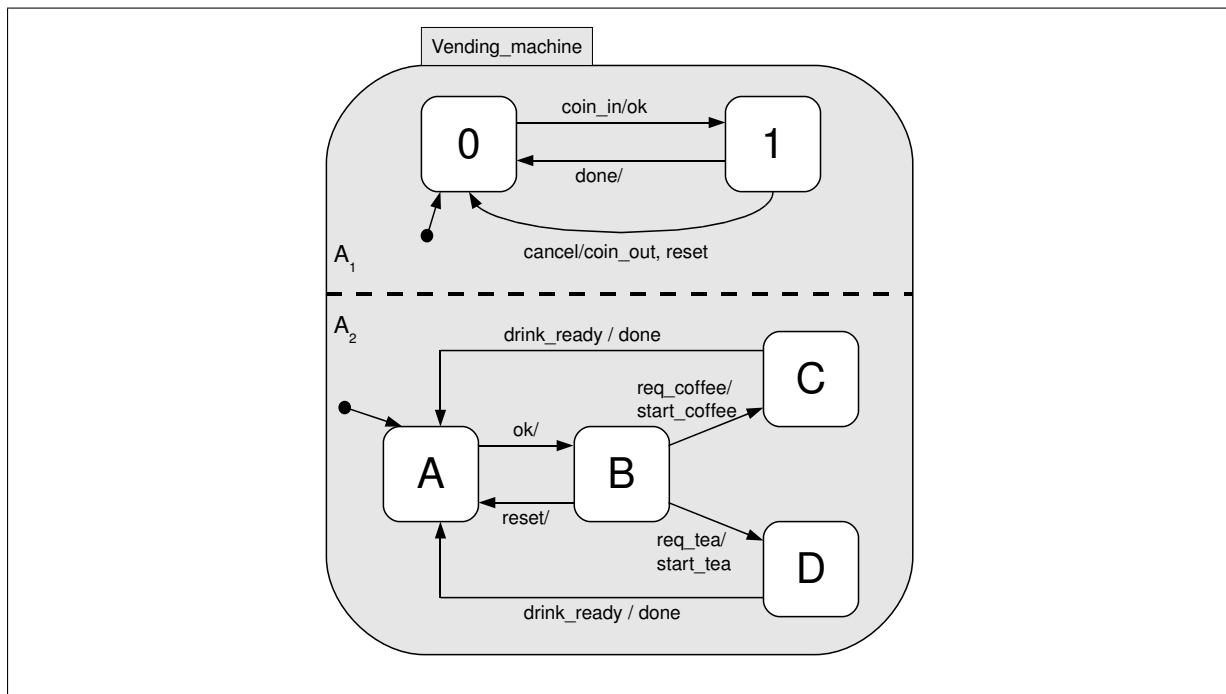
### Problem 1: A vending machine

**(40 pts.)**

Figure 1 shows the control of a simple vending machine (in the StateCharts formalism). Figure 2 lists all occurring events together with their meaning.

A typical interaction of the vending machine with the environment is:

- Initially the system is in the states  $\boxed{0}$  and  $\boxed{A}$ .
- The user inserts a coin, the environment generates the event COIN\_IN,  $A_1$  moves to state  $\boxed{1}$ , and the event OK is generated.
- $A_2$  consumes the event OK and moves to state  $\boxed{B}$ .
- The user presses the cancel-button,  $A_1$  moves back to state  $\boxed{0}$ , the events RESET and COIN\_OUT are generated.
- $A_2$  consumes the RESET event and moves back to state  $\boxed{A}$ .



**Figure 1:** A vending machine.

Event	Generated by	Consumed by	Meaning
COIN_IN	environment	$A_1$	user inserts coin
CANCEL	environment	$A_1$	user presses cancel-button
REQ_COFFEE	environment	$A_2$	user presses coffee-button
REQ_TEA	environment	$A_2$	user presses tea-button
DRINK_READY	environment	$A_2$	drink is ready
COIN_OUT	$A_1$	environment	coin returned to user
START_COFFEE	$A_2$	environment	start preparation of coffee
START_TEA	$A_2$	environment	start preparation of tea
OK	$A_1$	$A_2$	enough coins inserted
RESET	$A_1$	$A_2$	coins back to user
DONE	$A_2$	$A_1$	drink delivered

**Figure 2:** Events for the vending machine in Figure 2.

- Describe the trace of transitions occurring when the user inserts a coin and orders tea. (5 pts.)
- The control of the vending machine has a bug that allows the user to cheat. Find it. (5 pts.)
- Construct an equivalent automaton  $Q$  where no parallelism is involved. The initial state should be  $\boxed{0A}$ . When the event COIN\_IN occurs,  $Q$  moves to state  $\boxed{1A}$  and the event OK is generated. This causes  $Q$  to move from state  $\boxed{1A}$  to state  $\boxed{1B}$ . Now continue yourself. (10 pts.)
- Fix the bug. (10 pts.)
- Allow the vending machine to accept coins for €0,05, €0,10, €0,20, and €0,50. Coffee costs €0,75. Tea costs €0,50. (10 pts.)

## Problem 2: Time models (10 pts.)

Discuss the differences between the synchronous and the super-step time model (Slide set 2, slides 41-44). Why does it make sense to assume instantaneous state transitions although in practice all computing devices need some time for transitions between states?

## Problem 3: StateCharts (20 pts.)

What is the advantage of having hierarchical structures (as present in StateCharts) over flat structures (as used for Mealy and Moore automata) for the description of systems?

Furthermore, assume that you were using a StateCharts modelling tool that does not support OR-super-states. Are you (theoretically) still able to model the same set of systems with it? What about AND-super-states?

## Problem 4: Simulink

(30 pts.)

The purpose of this exercise is to get started with MATLAB/Simulink. Download the Simulink model of the damped harmonic oscillator from the course web page.

<http://react.cs.uni-sb.de/index.php?id=503>

### 4.1 Simulation

(10 pts.)

Let

$$\begin{aligned}y_s &= \lim_{t \rightarrow \infty} y(t), \\t_s(d) &= \inf\{t \in \mathbb{R}_0^+ : \forall t' \geq t. |y(t') - y_s| \leq d\}.\end{aligned}$$

Approximate  $y_s$  and  $t_s(0.1)$  with a precision of 0.1 (by simulation) for the parameters  $k = 1$ ,  $m = 1$ ,  $l_0 = 10$ , and  $R = 0.1$ .

### 4.2 Modeling

(20 pts.)

Extend the model such that the suspension  $u(t)$  varies with a 0.5Hz sine (amplitude 1). Use the following differential equation:

$$\ddot{y}(t) = \frac{1}{m} \left( k(u(t) - y(t)) - R\dot{y}(t) \right)$$