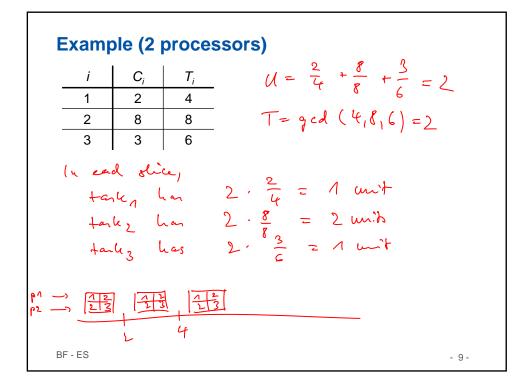
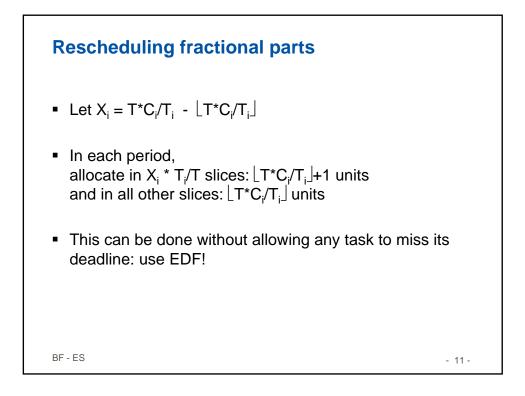


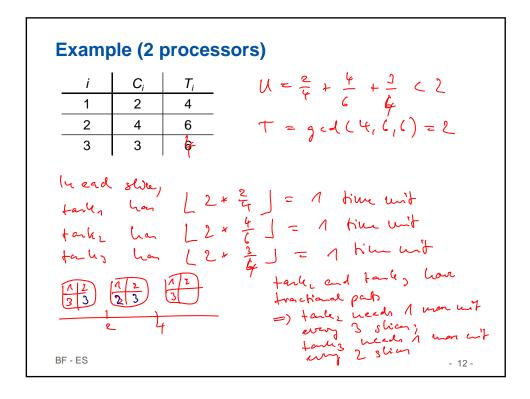
Periodic p eriodi c tasks	REVIEW
Theorem: A necessary and sufficient condition for the schedulability of periodic tasks is that $U \le n$.	
neary V.	-
BF - ES	- 7 -

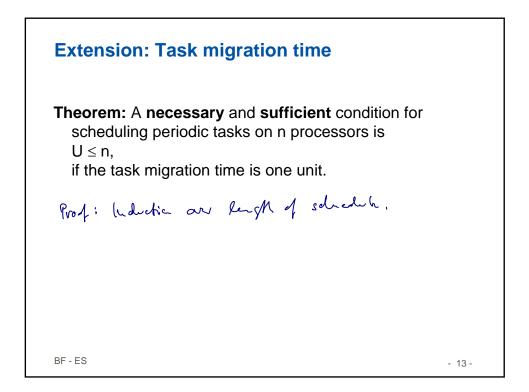
Scheduling idea	REVIEW
1. Divide the time line into time slices such that e divided into an integral number of time slices. Slice length $T = GCD(T_1,, T_n)$.	each period of each process is
2. Within each time slice, allocate processor time utilization $U_i = \frac{C_i}{T_i}$ originating from the various Processing time per slice $r_i = TU_i = T\frac{C_i}{T_i}$. Hence, each task runs $\frac{T_i}{T}r_i = \frac{T_i}{T_i}T\frac{C_i}{T_i} = C_i$ time	s tasks.
 3. Allocate r_i according to the following algorithm (a) Look for the first processor proc_j that has (b) Allocate that portion of r_i to proc_j that pro (c) If all of r_i has been allocated then proceed a). (d) Otherwise allocate the remainder of r_i to proc_{j+1} has enough spare capacity as it h and r_i ≤ T due to U_i ≤ 1. Furthermore, du generate temporal overlap between the tw 	free capacity in its time slices. p_{c_j} can accommodate. d with the next task (goto step $p_{TOC_{j+1}}$. as not previously been used ue to $r_i \leq T$, we don't
BF - ES	- 8-

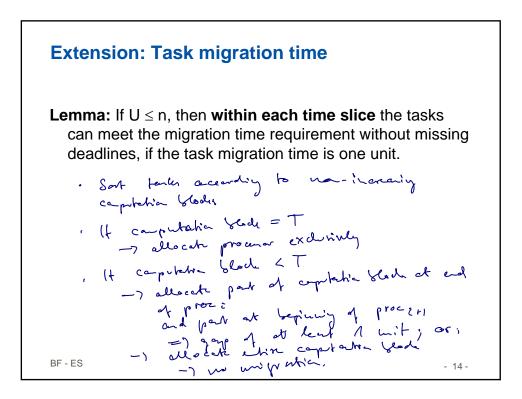


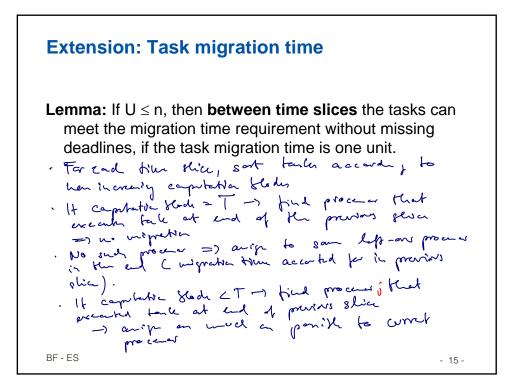
BF-ES **Scheduling idea Scheduling idea J Scheduling idea J Scheduling idea** $\begin{aligned} & \textbf{J} &= \sum_{i \in M} \frac{C_i}{T_i} \leq n \\ & \textbf{J} &= T \\ & \textbf{$

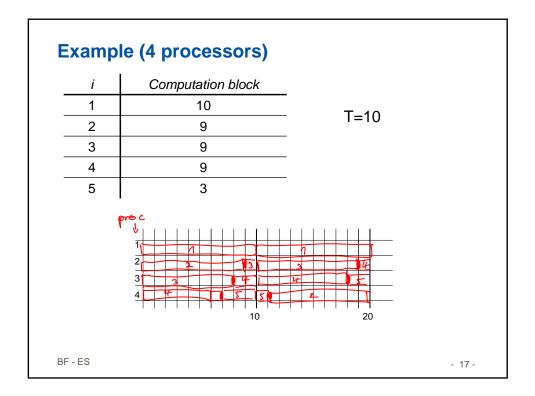


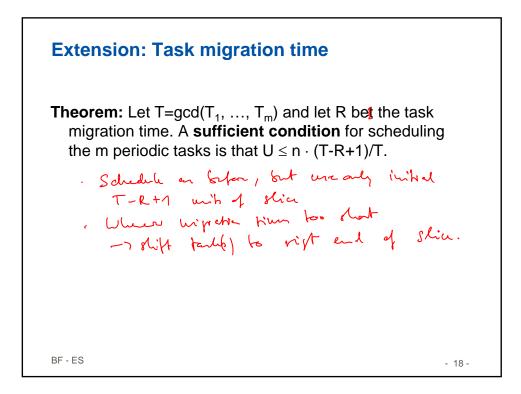


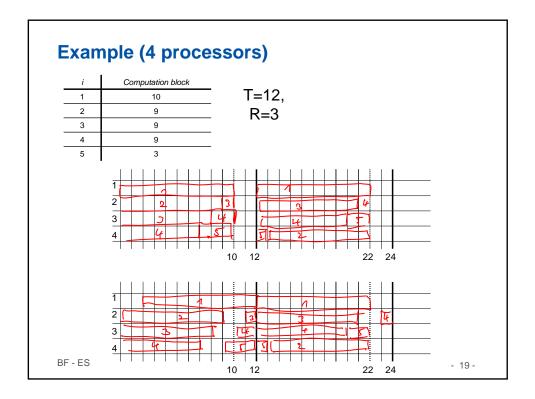


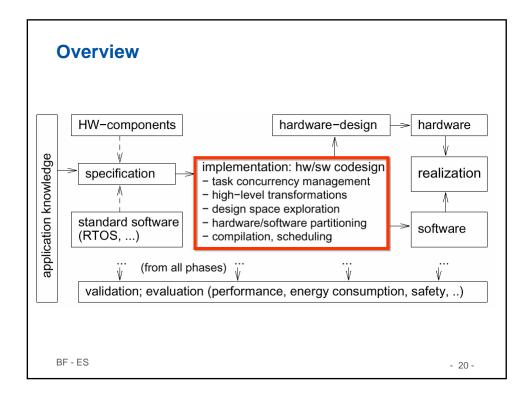


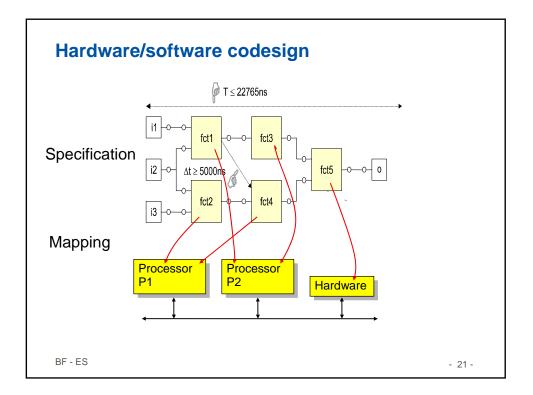


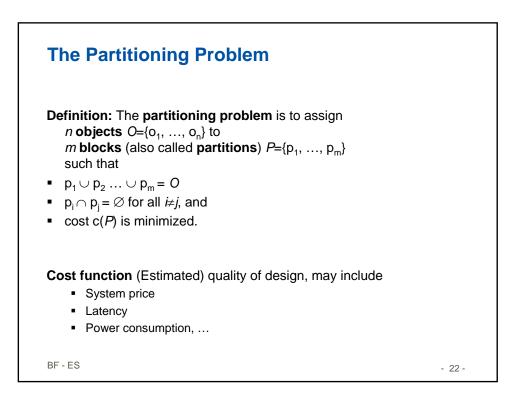


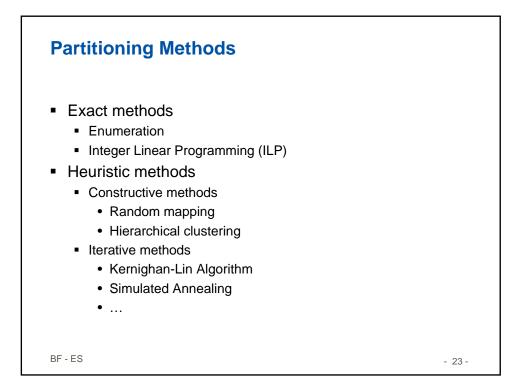












Integer programming models		
Ingredients:		
 Cost function Involving linear expressions ov 	'er	
 Constraints integer variables from a set X 		
Cost function $C = \sum_{x_i \in X} a_i x_i$ with $a_i \in R, x_i \in R$	N (1)	
Constraints: $\forall j \in J : \sum_{x_i \in X} b_{i,j} x_i \ge c_j \text{ with } b_{i,j}, c_j \in J$	ℝ (2)	
Def .: The problem of minimizing (1) subject to the constraints (2) is called an integer programming (IP) problem .		
If all x_i are constrained to be either 0 or 1, the IP problem said to be a 0/1 integer programming problem .		
BF - ES	- 24 -	

